

CSCI 136 Data Structures & Advanced Programming

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Lecture 27
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Administrative Details

- Darwin lab
 - Part 1 due Monday
 - Part 2 due next Monday
- Midterm 2
 - Wednesday @ 1:00 in Wege
 - Covers Ch 7, 8, 10-13, Closed book
 - No class on Wednesday
- Review session Tuesday 9:30-10:30 in TCL 202
- Info session Monday night at 9:00?

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Last Time

- Wrapped up discussion on priority queues and heaps
- Discussed heapsort

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Today's Outline

- Finish discussing heapsort
- Start discussing binary search trees (Ch 14)

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Why Heapsort?

- Heapsort is slower than Quicksort in general
- Any benefits to heapsort?
 - *Guaranteed* $O(n \log n)$ runtime
 - Constant space overhead
- Works well on mostly sorted data, unlike quicksort
- Good for incremental sorting

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Tree Wrapup

- General Binary Trees
 - Express hierarchical relationships
 - Ordering is based on some external notion
 - i.e., ancestry, game boards, decisions, etc.
- Heap
 - Partially ordered (complete) binary tree based on priorities
 - Node invariants: parent has higher priority than both children

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Binary Search Tree

- Binary search trees maintain a *total* ordering among elements
- Definition: A BST is either:
 - Empty
 - A tree where root value is greater than or equal to all values in left subtree, and less than or equal to all values in right subtree; left and right subtrees are also BSTs
- Examples

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BST Operations

- `add(Object item)`
- `contains(Object item)`
- `get(Object item)`
- `remove(Object item)`
- Runtime of above operations?
 - All $O(\log n)$!
- `iterator()`
- Questions: How can we get a *sorted* list of all elements in BST?
 - In-order iterator

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Example Usage: Dictionary

- Create a BST of ComparableAssociations
 - Order BST by key
 - Two objects are equal if keys are equal
- What would `add(word, def)` and `lookup(word)` look like using a BST?
- Different dictionary implementations in CSI 36

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Tree Sort

- Can we sort data using a BST?
 - Yes!
- Runtime?
 - To build a tree with n elements, we do n insertions: $O(n \log n)$ (as long as tree stays as short as possible...)
 - In order traversal: $O(n)$
 - Total runtime: $O(n \log n)$
- Advanced sorting comparisons

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Implementation

- How would be implement a BST?

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