CSCI 334: Principles of Programming Languages

Lecture 22: Domain Specific Languages

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Exam Study Session: Monday, May 14 2-4pm TBL 202

Exercise

- Construct the a knowledge base containing the following facts:
- "Giants eat people."
- "Giants eat bunnies."
- "Bunnies eat grass."
- "People eat bunnies."
- "People eat people."
- "Those who are eaten by others hate those others."
- "Monsters love those who hate themselves."
- Then supply a query that can answer:
- "Who do monsters love?"

Domain Specific Languages

- A domain specific language (DSL) is a language designed to solve a small set of tasks.
- DSLs frequently sacrifice expressiveness in favor of ease of use.

Examples

- SQL, used to manipulate tabular data
- HTML, used to represent web documents
- · Verilog, a hardware description language
- PCRE, a string matching language based on regular expressions
- Make, used to describe software build dependencies
- XPath, used to query XML
- Postscript, used to describe printed documents
- LaTeX, used to cause undergraduates great anguish

Examples

- SQL cannot be used to perform arbitrary calculations; until recently (1999), it could not compute "reachability queries."
- E.g., the transitive closure of "city y is reachable from city x via direct flight" computes the set of all cities reachable from city x.
- Why? Presumably the designers intended to disallow expensive queries.
- In fact, SQL is not Turing Complete. All SQL programs halt, by design.

Examples

- · Postscript is Turing Complete.
- But writing arbitrary programs is a huge pain.
- Commands are in Reverse Polish Notation ("operands first")
- The stack must be explicitly maintained
- No user-defined types, etc.
- Great for offloading complex print jobs to a printer, though!
- Laser printers often ship with highly optimized Postscript
 interpreters (Raster Image Processor)

Completeness

- A formal system is a logical system for generating formulas.
- A formal system is complete with respect to a property if all formulas having that property can be derived using the rules (axioms) of the system.

Soundness

• A formal system is sound with respect to a property if all derivable formulas are true.

Incompleteness Theorem

- Kurt Gödel proved that mathematics (i.e., mathematical logic) cannot be both sound and complete wrt "provability."
- Either:
- you can define a formal system in which you can derive all the true mathematical statements, but which also admits false statements (inconsistent), or
- you can define a formal system in which all statements are true, but in which you cannot derive all the true mathematical statements (incomplete).
- https://youtu.be/O4ndIDcDSGc



SQL

- SQL is a DSL for querying data, invented by E. F. Codd in 1970.
- SQL limits itself to only certain kinds of queries.
- All of those queries can be answered efficiently (and by implication, they terminate).
- The language is based on a theory of data and data queries called the relational algebra.
- The relational algebra lets users efficiently query data in a form that is largely independent of the organization of the data on disk.
- This was considered a major breakthrough when it was invented.
- For many practical reasons, SQL has diverged somewhat from the relational algebra.



Relational Algebra

- $\boldsymbol{\cdot}$ The relational algebra is based on set theory.
- A relation R is a set of tuples.
- Remember that sets contain only unique elements.
- Also, the order of elements in a set does not matter.
- The members of a tuple are called attributes.
- Note that the order of attributes in a tuple does not matter.
- We often think of relations as tables. But since relations are really sets of tuples, the order of attributes and rows in a table *does not matter*.
- A schema is the set of all defined relations.
- A database is a collection of instances of relations for a given schema.

Employee								
Name	Empld	DeptName						
Harry	3415	Finance						
Sally	2241	Sales						
George	3401	Finance						
Harriet	2202	Sales						



Relational Algebra: Closure Property

- All operations in the relational algebra are closed, meaning that every operation on a relation yields a relation.
- · Primitive operations:
- Projection
- Selection
- Rename
- Cartesian Product
- Complex operations:
- Join, etc.

Relational Algebra: Selection

- · Selection selects rows of a relation.
- Formally,
- σ_ϕ (R) yields the relation R' such that R' is restricted on the predicate $\phi_{.}$
- For example, $\sigma_{\text{EmpId} > 3000}$ (Employee) yields
 - Employee

$\sigma_{\text{EmpId} > 3000}$ (Employee)





Relational Algebra: Projection

- Projection selects columns of a relation.
- Formally,
- $\Pi_{a_1}, ..., a_n$ (R) yields the relation R' such that R' is restricted on

attributes a1, ..., an.

• For example, $\Pi_{\text{Name, DeptName}}$ (Employee) yields

Employee							
Name	Empld	DeptName					
Harry	3415	Finance					
Sally	2241	Sales					
George	3401	Finance					
Harriet	2202	Sales					

Π_{Name}, _{DeptName} (Employee)

Name	DeptName
Harry	Finance
Sally	Sales
George	Finance
Harriet	Sales

Relational Algebra: Rename

- Rename renames an attribute in a relation.
- Formally,

 $\rho_{a/b}\left(R\right)$ yields the relation R' such that attribute a is renamed to b in R' .

·For example, $\rho_{\text{EmpId/Id}}$ (Employee) yields

Employee

Name Employ DeptName Harry 3415 Finance Sally 2241 Sales George 3401 Finance Harry 2242 Sales

PEmpId	l/Id	(Emp	тоў	ee
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Name	ld	DeptNan
Harry	3415	Finance
Sally	2241	Sales
George	3401	Finance
Harriet	2202	Sales

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Relational Algebra: Natural Join

- A number of useful operations called "joins" can be defined in terms of the primitive projection, selection, rename, and Cartesian product operations we just defined.
- Natural join pairs every tuple in relation R with a tuple in relation S where they agree on an attribute value.
- Formally,

 $\mathsf{RM}_{\mathtt{i}}\mathsf{S} \text{ yields the relation } \mathsf{T} = \{ (\mathsf{r}_{1,\dots},\mathsf{r}_{n},\mathsf{S}_{1,\dots},\mathsf{S}_{n}) \mid (\mathsf{r}_{1,\dots},\mathsf{r}_{n}) \in \mathsf{R}, (\mathsf{S}_{1,\dots},\mathsf{S}_{n}) \in \mathsf{S} \} \text{ where }$

r: = s: for a given i.

Eı	Employee		Dept		$Employee \times_{DeptName} D$				
Name	Empld	DeptName		DeptName	Manager	Name	Empld	DeptName	Manager
Harry	3415	Finance		Finance	George	Harry	3415	Finance	George
Sally	2241	Sales		Sales	Harriet	Sally	2241	Sales	Harriet
George	3401	Finance		Production	Charles	George	3401	Finance	George
Harriet	2202	Sales				Harriet	2202	Sales	Harriet

Optimizations

- Because relational algebra abstracts queries from data representation, data can be organized on disk in whatever manner is the most efficient.
- Furthermore, the actual execution plan can be computed dynamically to take full advantage of hardware resources.
- For example, selection and projection both produce smaller relations than their inputs. Thus, if a query combines joins and selection/ projection, a query planner can reorder operations so that selection/ projection come first, reducing the number of tuples that must be computed in a join. This optimization is called predicate pushdown.
- Efficient database implementation is an active area of research (VLDB, SIGMOD, etc).

Importance of SQL

- SQL is one of the most important and successful languages ever invented.
- E.F., Codd won a Turing Award for his work on the relational algebra and relational database management systems.
- \cdot As of 2017, relational database systems alone were a \$50 billion market.