

Folks, this is a brand new activity. If you encounter any issues/typos, please let Iris know!

Name: _____ Partner: _____

Python Activity 33: Recursion versus Iteration

When should we choose a recursive approach versus an iterative approach?

Learning Objectives
Students will be able to:

Content:

- List **pros and cons** of using recursion to solve problems
- Diagram the function frame stack for recursive & iterative functions

Process:

- Write iterative and recursive solutions to a given problem

Prior Knowledge

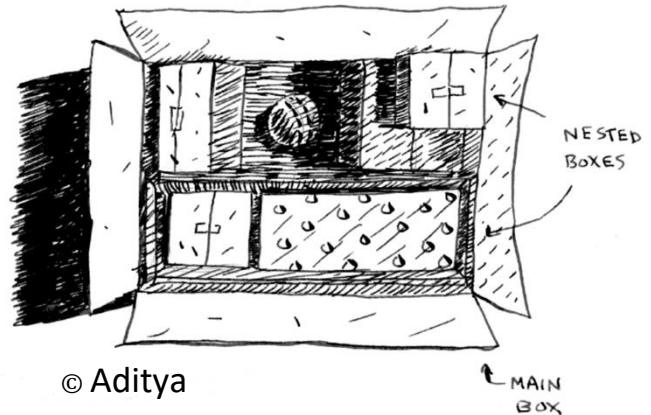
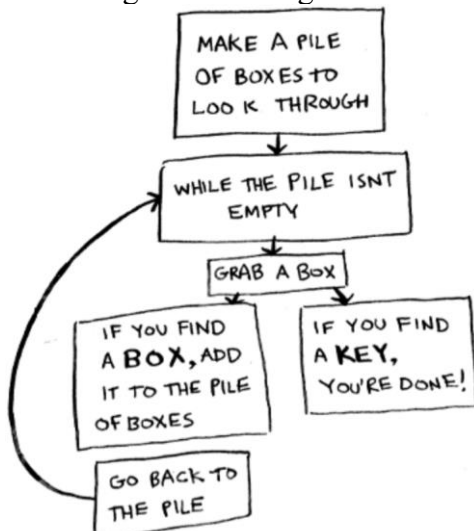
- Python concepts: recursion, loops, function frame model

Concept Model:

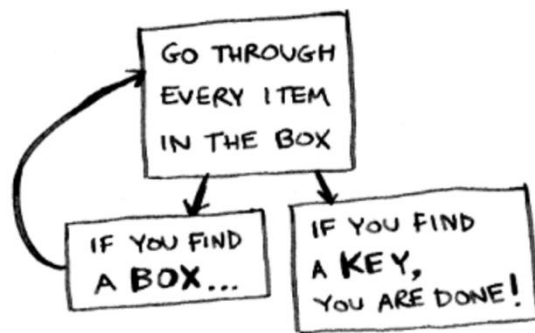
Consider this real world task:

We are trying to find a key that is lost in a pile of boxes within a pile of boxes within a pile of boxes within...

In this case, we could describe the algorithm using an *iterative* approach. It would look something like the image on the left:



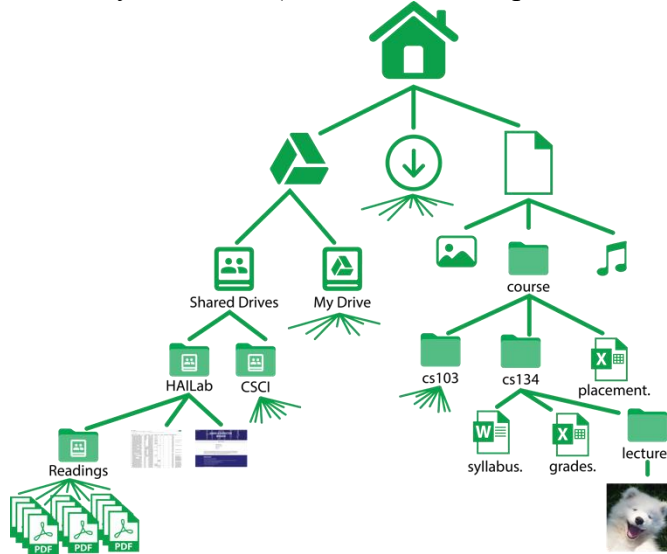
Or, we could use a *recursive* approach which is described by the image on the right (above).



CM1. Which approach is simpler to describe? _____

CM2. Which approach requires fewer keystrokes? _____

While searching within boxes of boxes of boxes may seem like a stretched example, it is quite similar to finding a file of a puppy within a directory structure, and in fact, computer scientists do *typically* search file directory structures (and other tree-shaped structures) recursively!:



CM3. What other tasks fit this tree-shaped structure, and are therefore optimally solved with recursion?

Critical Thinking Questions:

- Write a function to sum up a list of numbers, *iteratively*, such that calling `>>> sum_list_iterative([3, 4, 20, 12, 2, 20])` will return 61:

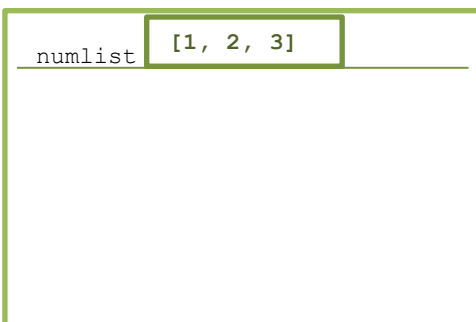
```

sum_list_iterative.py
def sum_list_iterative(numlist):

```

- Draw a function frame diagram for a call to this function, similar to what we did in the POGIL Activity on Function Frame Stack Model. (Hint: The first function frame is begun for you below, do you need more?)

```
>>> sum_list_iterative([1, 2, 3])
sum list iterative([1, 2, 3])
```





b. How many function frames are created? _____

(Hint: How many function calls to `sum_list_iterative(..)` does Python make?)

2. Write a *recursive* version of the previous function to sum up a list of numbers, such that calling

`>>> sum_list_iterative([3, 4, 20, 12, 2, 20])` will return 61:

a. What is our base case? _____

b. What is our small step? _____

c. How do we break the journey down? _____

```

sumList.py

def sum_list(numlist):

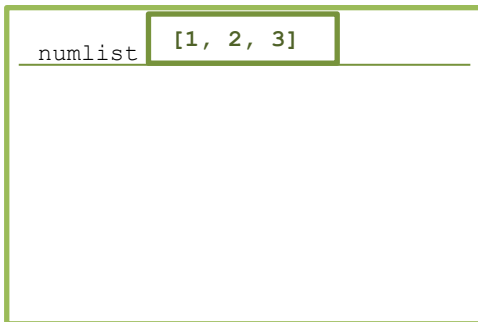
```

d. Draw a function frame diagram for a call to this function, similar to what we did in the POGIL Activity on Function Frame Stack Model.

(Hint: The first function frame is begun for you below, do you need more?)


`>>> sum_list([1, 2, 3])`

`sum list([1, 2, 3])`



e. How many function frames are created? _____

(Hint: How many function calls to `sum_list(..)` does Python make?)

-  3. In the table below, specify if the statement on the left is a pro or con of iteration or recursion (or both):

Statement	Pro/ Con	Iteration/ Recursion
Can lead to syntactically simpler programs.		
Has a steeper learning curve.		
You will see code like this out in the real world.		
Is best for writing tree-type data structures.		
Creating new function frame stacks requires computational overhead.		
Is easier for novice computer scientists to understand.		
Is advanced computer science problem-solving approach.		

Application Questions: Use the Python Interpreter to check your work

1.
 - a. Write a function, `file_found_iterative`, that takes a list of lists (`folder`) and a target item to look for in the list of lists. Use loops to find the target item. The function returns True if the item is found, False otherwise.
 - b. Write a function similar to `file_found_iterative`, `file_found_recursive`, but instead uses a recursive approach.
 - c. Which of these approaches may work for lists of lists of lists? Which may only work for a list of lists?
2.
 - a. Implement two functions, `fibonacci_iterative(num)` and `fibonacci_recursive(num)`, one which finds the num^{th} Fibonacci number using iteration (loops), and the other recursively. Recall that:

$$\text{Fibonacci}_{\text{num}} = \text{Fibonacci}_{\text{num}-1} + \text{Fibonacci}_{\text{num}-2}$$

$$\text{Fibonacci}_0 = 0 \text{ and } \text{Fibonacci}_1 = 1$$
 Once you've done so, write code in `if __name__ == "__main__":` to time how long these two approaches take (you may need to use rather large values!). Recall that if we `from time import time`, we can use the `time()` function to retrieve number of milliseconds.
 - b. Which one of these functions is faster?
 - c. Write a third function, `fibonacci_rekurs_fast(num)`, that uses your recursive approach, but stores (and retrieves) previously computed Fibonacci numbers (and their values) in a dictionary. Then compare the runtimes of this function to the previous two.
 - d. Which of your three functions is the fastest?